# Role of barriers in the airborne spread of virus-containing droplets: A study based on high-resolution direct numerical simulations

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# Role of barriers in the airborne spread of virus-containing droplets: A study based on high-resolution direct numerical simulations () ()

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M. Cavaiola,<sup>1,2,a)</sup> D S. Olivieri,<sup>3</sup> D J. Guerrero,<sup>1</sup> A. Mazzino,<sup>1,2</sup> And M. E. Rosti<sup>3</sup>

#### **AFFILIATIONS**

<sup>1</sup>Department of Civil, Chemical and Environmental Engineering (DICCA), University of Genova, Via Montallegro 1, 16145 Genova, Italy <sup>2</sup>INFN, Genova Section, Via Montallegro 1, 16145 Genova, Italy

<sup>3</sup>Complex Fluids and Flows Unit, Okinawa Institute of Science and Technology Graduate University, 1919-1 Tancha, Onna-son, Okinawa 904-0495, Japan

<sup>a)</sup>Author to whom correspondence should be addressed: mattia.cavaiola@edu.unige.it

#### ABSTRACT

State-of-the-art direct numerical simulations are exploited to study the role of barriers on the airborne spread of virus-containing droplets. Our study is motivated by recent findings pointing to the key role of turbulence in dictating the final fate of virus-containing droplets in violent human exhalations. Here, all active scales of motion have been explicitly taken into account, including their interplay with the droplet evaporation process occurring once droplets are emitted in a drier ambient air, and accounting for the time-varying droplet inertia due to the water loss via evaporation. We show that barriers commonly used to mitigate the airborne spread of the virus cause nontrivial dynamical effects influencing the final reach of the virus-containing droplets, not always being beneficial to this aim. These conclusions do depend on the relative humidity of the ambient condition, and in particular whether the ambient humidity is above or below the so-called efflorescence relative humidity. Our findings provide a physically based answer to the question on how effective barriers are to protect people from airborne virus transmission in indoor environments.

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#### I. INTRODUCTION

The airborne transmission of virus-containing respiratory droplets exhaled during coughing or sneezing, or even talking and breathing, represents a problem of paramount importance in light of the recent COVID-19 pandemic.<sup>1,2</sup> Recently, numerous studies have been performed to better understand the essential mechanisms of airborne transmission.<sup>3–11</sup> Furthermore, investigations have considered various real-life situations and addressed several aspects related to open space and indoor environments.<sup>12–16</sup>

Particular attention has been paid to characterizing the role of ambient humidity in determining the lifetime of virus-containing droplets.<sup>11,17–19</sup> This is a crucial aspect since the evaporation rate of saliva droplets depends on environmental conditions, such as the ambient temperature and relative humidity, as well as other physical properties (e.g., droplet size and composition).<sup>20</sup>

Another key feature governing the lifetime of saliva droplets is fluid turbulence. Exploiting state-of-the-art direct numerical

simulations (DNSs), it has been recently shown that turbulent fluctuations within the puff of exhaled humid air play a crucial role in determining the evaporation time.<sup>21</sup> In particular, numerical simulations conducted with two different coarse-graining techniques (i.e., filtered DNS and mean-field simulation), when compared with results from fully resolved DNS, show that using coarse-graining techniques leads one to strongly underestimate the droplet evaporation time with a strong impact on the prediction of the final reach of virus-containing droplets.

In order to prevent the spread of the disease, the World Health Organization (WHO) suggested a series of actions, such as social distancing, surface disinfection, room ventilation, and the use of face masks and barriers, especially in indoor environments. Social distancing prevents direct contact among individuals and can reduce the potential airborne transmission of virus-containing droplets. In scientific literature, however, a relatively large dispersion of data concerning the recommended safe distance can be found, ranging from 1 to 8 m.<sup>16,22-24</sup> Indeed, the currently available information is inadequate to design social distancing recommendations on a solid scientific basis, with remarkably different predictions depending on the assumed initial droplet size distribution and ambient conditions.<sup>11</sup> On the other hand, several studies have analyzed the efficiency of face masks as devices to minimize the risk of infection via aerial transmission.<sup>25–28</sup> A variety of commonly available mask types has been compared, observing that some mask types approach the performance of standard surgical masks, while some mask alternatives, such as neck gaiters or bandanas, offer very little protection.<sup>29</sup>

Barriers are often used to protect individuals within indoor environments. Numerous devices have been developed and deployed in an effort to protect healthcare workers during high-risk procedures, and in indoor workplaces to protect employees and customers. However, only a few studies have thoroughly and quantitatively examined their impact on the dispersion of droplets and aerosols.<sup>30,31</sup> The available results show that the placement of large transparent plastic sheets over patients' faces can limit the contamination area,<sup>32</sup> showing that such protective tools are helpful in decreasing the contamination from droplet dispersion.<sup>33</sup> However, to the best of our knowledge, no studies based on a DNS approach are reported in the current literature.

To make a step forward in characterizing the efficacy of barriers in the mitigation of airborne transmission, DNSs of the unsteady turbulent puff carrying many virus-containing droplets represent a valuable tool of analysis. Such a high-fidelity computational approach has been recently employed to unravel the essential physical mechanisms involved in the transport and evaporation of virus-containing exhaled droplets.<sup>11,21</sup> Here, we employ this computational tool to analyze a variety of geometrical and ambient conditions, along with deducing the optimal distance minimizing the reach of exhaled droplets.

The rest of this paper is structured as follows: Sec. II presents the governing equations and numerical method, Sec. III shows the main results, and Sec. IV draws the main conclusions.

#### II. NUMERICAL METHOD

The fluid flow is governed by the well-known Oberbeck–Boussinesq equations (i.e., the set of the incompressible Navier–Stokes equations coupled to the advection–diffusion equation for the temperature field) given by<sup>34</sup>

$$\partial_t \boldsymbol{u} + \boldsymbol{u} \cdot \boldsymbol{\partial} \boldsymbol{u} = -\frac{1}{\rho} \boldsymbol{\partial} p + \nu \partial^2 \boldsymbol{u} - \beta \boldsymbol{g} (T - T_a), \qquad (1)$$

$$\boldsymbol{\partial} \cdot \boldsymbol{u} = \boldsymbol{0}, \tag{2}$$

$$\partial_t T + \boldsymbol{u} \cdot \boldsymbol{\partial} T = \kappa \partial^2 T, \qquad (3)$$

where  $\boldsymbol{u}(\boldsymbol{x},t)$  and  $p(\boldsymbol{x},t)$  are the fluid (here air) velocity and pressure fields, respectively;  $\nu$ ,  $\rho$ , and  $\beta$  are the (constant) kinematic viscosity, density and thermal expansion coefficient of the air, respectively;  $\boldsymbol{g} = (0, 0, -g)$  is the gravitational acceleration;  $T(\boldsymbol{x}, t)$  is the puff temperature field and  $T_a$  is the (constant) quiescent ambient temperature; finally,  $\kappa$  is the air thermal diffusion coefficient. Air exhaled by humans is rich in water vapor, thus the specific humidity q is modeled by the advection-diffusion equation as follows:<sup>35</sup>

$$\partial_t q + \boldsymbol{u} \cdot \boldsymbol{\partial} q = D_v \partial^2 q, \tag{4}$$

where  $D_v$  is the water vapor diffusivity. In human exhalations  $q \ll 1$ , and we obtain  $q \sim r \sim e\varepsilon/p_a$ , where *r* is the mixing ratio, *e* is the

water vapor pressure,  $p_a$  is the ambient pressure, and  $\varepsilon$  is the ratio between the molar mass of water vapor and molar mass of dry air.<sup>35</sup> From the above relationships, it then follows that the supersaturation field is  $s = e/e_{sat} - 1 \sim r/r_{sat} - 1$ , where the subscript "sat" denotes the value at saturation. Exploiting the Magnus–Tetens relationship between  $e_{sat}$  and T (in which the temperature T is in °C, see Ref. 36), one immediately gets the supersaturation field s from the integration of the advection–diffusion equation given by Eq. (4) for q.

Respiratory droplets are modeled as an ensemble of N spherical particles of radius  $R_i$  dispersed within the expiratory airflow. Each droplet is individually described by the following well-known set of equations:<sup>37</sup>

$$\dot{\mathbf{X}}_i = \mathbf{U}_i(t) + \sqrt{2D_v} \boldsymbol{\eta}_i(t), \tag{5}$$

$$\dot{\boldsymbol{U}}_{i} = \frac{\boldsymbol{u}(\boldsymbol{X}_{i}(t), t) - \boldsymbol{U}_{i}(t)}{\tau_{i}} + \boldsymbol{g}, \tag{6}$$

for i = 1, ..., N, and where  $X_i$  and  $U_i$  are the position and velocity vectors of the *i*th droplet, respectively. Note that, for coughing events, the backreaction to the carrier airflow can be safely neglected in light of the negligible volume fraction (always smaller than  $10^{-5}$ , see Refs. 38 and 39). The dynamics is affected by a Brownian white-noise process  $\eta_i$  and by the Stokes time  $\tau_i = 2(\rho_{Di}/\rho_a)R_i^2(t)/9\nu_a$ . In order to define the density of the ith droplet  $\rho_{Di}$ , we assume the droplet to be composed of a dry nucleus with density  $\rho_N$  surrounded by a salty water layer with density  $\rho_w$ . The dry nucleus is composed of a soluble phase (NaCl) and a insoluble phase (mucus), giving an overall density, which can be expressed as

$$\rho_N = \frac{\rho_u}{1 - \varepsilon_m [1 - (\rho_u / \rho_s)]},\tag{7}$$

where  $\varepsilon_m$  is the mass fraction of the soluble material (NaCl) with respect to the total dry nucleus and  $\rho_u$  and  $\rho_s$  are the density of the insoluble (mucus) and soluble (NaCl) parts, respectively. Thus, the density  $\rho_{Di}$  of the droplet can be computed as

$$\rho_{Di} = \rho_w + (\rho_N - \rho_w) \left(\frac{r_{Ni}}{R_i(t)}\right)^3,\tag{8}$$

where the radius of the (dry) solid part of the droplet when NaCl is totally crystallized is given by

$$r_{Ni} = R_i(0) \left( \frac{\mathscr{C} \rho_w}{\mathscr{C} \rho_w + \rho_N(1 - \mathscr{C})} \right)^{1/3},\tag{9}$$

with  $\mathscr{C}$  being the mass fraction of dry nucleus with respect to the total droplet. Finally, the droplet radius  $R_i$  evolves according to a condensation model that has been successfully employed in the analysis of rain formation processes, 40-43 i.e.,

$$\frac{d}{dt}R_i^2(t) = 2C_R\left(1 + s(\mathbf{X}_i(t), t) - e^{\frac{A}{R_i(t)} - B\frac{r_{N_i}^3}{R_i^2(t) - r_{N_i}^3}}\right),$$
(10)

where  $C_R$  is the droplet condensational growth rate defined as

$$C_{R} = \left[\frac{\rho_{w} R_{v} \left(273.15 + T_{a}\right)}{e_{sat} D_{v}} + \frac{\rho_{w} L_{w}^{2}}{k_{a} R_{v} \left(273.15 + T_{a}\right)^{2}} - \frac{\rho_{w} L_{w}}{k_{a} (273.15 + T_{a})}\right]^{-1},$$
(11)

and A and B are two model parameters given by

$$A = \frac{2\sigma_w}{R_v(T_a + 273.15)\rho_w} \quad \text{and} \quad B = \frac{n_s \Phi_s \varepsilon_v M_w \rho_s}{M_s \rho_w}, \quad (12)$$

where  $\varepsilon_v = \varepsilon_m (\rho_N / \rho_s)$  is the volume fraction of the dry nucleus with respect to the total droplet. The water saturation vapor pressure is given by<sup>36</sup>

$$e_{sat} = 6.1078 \times 10^2 e^{(17.27T_a/(T_a + 237.3))}$$
 Pa. (13)

Note that, also in this case, in Eqs. (11)–(13) the temperature  $T_a$  is expressed in degrees Celsius. The values of the physical and chemical parameters selected for the present study are provided in Table II in the Appendix.

The initial droplet size distribution is the well-known distribution from Duguid,<sup>44</sup> with droplet radii approximately ranging from 1 to 1000  $\mu$ m and the 95% falling between 1 and 50  $\mu$ m. Droplets are set initially at rest and randomly distributed within a sphere of radius 1 cm located inside the circular pipe from which the exhaled airflow is released; in our simulations, we assume the initial temperature of the exhaled air to be equal to 30 °C, as in Ref. 45. Finally, the exhaled droplets enter the ambient air initially at rest with a relative humidity RH<sub>a</sub>. Note that, states of local equilibrium are possible owing to the solute effect.<sup>40</sup>

Figure 1 shows a sketch of the geometrical setup employed in our simulations. We consider a domain box of length  $L_x = 3$  m, width  $L_y = 2$  m, and height  $L_z = 3$  m. The size of the numerical domain has been chosen in order to represent a typical room. The center of the barrier is placed at 1.6 m from the ground, having a height of 0.5 m. The distance *d* of the barrier from the mouth is varied together with the ambient relative humidity. The fluid is initially at rest, i.e., u(x, 0) = 0, and at the ambient supersaturation  $s(x, 0) = s_a = \text{RH}_a - 1$ . The exhaled air is assumed to be fully saturated<sup>45</sup> (i.e.,  $s_{\text{mouth}} = 0$ ) and is injected through a round opening of area  $A_{\text{mouth}} = 4.5 \text{ cm}^2$  mimicking the mouth, at a distance from the ground of  $z_{\text{mouth}} = 1.6$  m. The injected airflow is along the horizontal direction and it is prescribed according to the experimental measurements reported by Gupta *et al.*<sup>46</sup>

13 m/s, corresponding to a Reynolds number (based on the peak velocity and on the mouth average radius) of about  $9 \times 10^3$ . For the other domain boundaries, we prescribe the no-slip condition to simulate the presence of the body and the flow inside a closed room at the bottom (z = 0), top  $(z = L_z)$  and left (x = 0) boundaries. For both the velocity and supersaturation field, we impose a convective outlet boundary condition at the right boundary  $(x = L_x)$ . Finally, periodic boundary conditions are enforced in the spanwise direction (i.e., y = 0 and  $y = L_y$ ). In our simulations, all the droplets that hit on surfaces remain attached to them.

The governing equations are solved numerically using the inhouse code Fujin (https://groups.oist.jp/cffu/code). The equations for the fluid flow are discretized with the (second-order) central finite-difference method in space and the (second-order) Adams-Bashfort scheme in time. A fast and efficient FFT-based approach is used to solve the resulting Poisson equation for pressure. The droplet dynamic equations given by Eqs. (5), (6), and (10) are advanced in time using the explicit Euler scheme. The code has been extensively validated in a variety of problems<sup>47-52</sup> and already employed for the simulation of expiratory events.<sup>11,21,53</sup> To model the presence of the barrier, here we use the immersed boundary method (IBM) originally proposed by Kajishima et al.<sup>54</sup> For the present simulations, the numerical domain is discretized with uniform grid spacing  $\Delta x = 1.75$  mm in all directions, resulting in a total number of approximately 1.2 billion grid points. The convergence of the results was verified by comparing the results with those obtained by doubling the grid resolution.1

Exploiting such a DNS approach, ten numerical simulations were performed for five possible barrier configurations at two different environmental conditions. Specifically, we consider a barrier with a height of 0.5 m, which extends indefinitely along the spanwise direction, and vary the distance from the mouth at which the barrier is placed. Five geometrical configurations are considered: barrier placed at 0.25 0.5, 0.75, 1 m from the mouth, and the configuration without any barrier for the sake of comparison. For each barrier, we consider two different values of ambient relative humidity, "dry" and "wet,"



FIG. 1. Sketch of the geometrical setup employed in our study.

(a)

corresponding to  $RH_a = 30$  and  $RH_a = 60$ , respectively. In the wet condition, droplets do not evaporate completely but remain in equilibrium with the surrounding environment. In contrast, in the dry condition all droplets evaporate completely and shrink to their dry nuclei.

To assess the associated risk of transmission, we quantify the viral load carried by the exhaled droplets, by tracking the position of each droplet for a time of 15 s. As done in Refs. 11 and 21, we quantify these observations by defining the (relative) viral load (VL) of the *i*th droplet as the ratio between its initial volume and the cumulative initial volume of all exhaled droplets. By assuming an initial size distribution of the exhaled droplets,<sup>44</sup> we are interested in analyzing the role of the barrier in removing the VL from air, and how the presence of the barrier can modify the

sedimentation pattern of the VL to the ground. In Figs. 2 and 3, we show three representative cases of the virus-containing droplets exhaled during a cough, with and without barrier in front of the mouth. The trajectories of the droplets and their final reach are strongly modified by the presence of the barrier; as a consequence, it is expected that the same is true for the amount of viral load settling to the ground and that remaining in the air.

Barrier at 0.25 [m]





FIG. 2. Side (left panels) and 3D (right panels) views of virus-containing droplet trajectories computed by means of high-resolution DNS for three representative configurations, i.e., with barrier placed at a distance of (a) 0.25 and (b) 0.75 m from the mouth and (c) without barrier. Results are shown for the dry condition. Droplets are colored according to their time instant to which they are found in space. The black bar, on the left panel, and the black circle, on the right panel, indicate the exhalation origin.

**FIG. 3.** Side (left panels) and 3D (right panels) views of the position of the viruscontaining droplets at the final observation time (15 s) for three representative configurations, i.e., with barrier placed at a distance of (a) 0.25 and (b) 0.75 m from the mouth and (c) without barrier. Results are shown for the dry condition. The black bar, on the left panel, and the black circle, on the right panel, indicate the exhalation origin. Droplets are colored by their radius size ( $\mu$ m). Note that the color bar shows a range between 1 and 50 $\mu$ m to emphasize differences between small (1  $\mu$ m  $\leq R_i \leq 50 \mu$ m) and large ( $R_i > 50 \mu$ m) droplets.

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Barrier distance	VL on barrier (%)	<i>VL</i> to ground (%)	VL in air (%)	ND on barrier (%)	ND to ground (%)	ND in air (%)
Dry, 0.25 m	98.91	0.32	0.77	47	1.57	51.43
Dry, 0.5 m	95.15	3.24	1.61	32.38	0.66	66.96
Dry, 0.75 m	19.22	78.15	2.63	17.81	0.97	81.22
Dry, 1 m	3.78	92.54	3.68	5.35	1.13	93.52
Dry, no barrier	0	95.81	4.19	0	1.11	98.89
Wet, 0.25 m	29.3	70.64	0.06	67.3	1	31.7
Wet, 0.5 m	14.46	85.26	0.27	45.13	1.42	53.45
Wet, 0.75 m	6	93.57	0.43	22.6	3.08	74.32
Wet, 1 m	1.38	98.1	0.52	8.39	4.64	86.97
Wet, no barrier	0	99.43	0.57	0	5.05	94.95

TABLE I. Cumulative viral load (VL) and number of droplets (ND) on the barrier, on the ground, and remaining in the air, for the two ambient humidities considered.

#### III. RESULTS

In order to quantify the spread of virus-containing droplets in indoor environments where a barrier is present (Fig. 1), we study the evolution of viral load that settles to the ground, that deposits on the barrier, and that remains airborne. In accounting for the airborne viral load, we neglect all the droplets that stick on surfaces such as the barrier and the ground. Moreover, in our simulations we did not find any droplet attached on the top and body surface, i.e., at  $L_z = 3$  m and x = 0 m, respectively. Table I reports a summary of the cumulative VL after the overall simulation time (15 s), separating the contribution collected on the barrier, that settling to the ground, and that remaining in the air, together with the corresponding number of droplets normalized to the total number of droplets (ND). Note however that the latter quantity can be misleading because of the presence of a few of the biggest droplets carrying the largest part of the viral load. For example, the following holds in the case of the barrier at a distance of 0.25 m from the mouth: in the dry condition, almost 47% of the droplets impact on the barrier carrying a VL of 98.9%; in the wet case instead, 67% of the droplets impact on the barrier, yet representing only 29% of the VL. From Table I, it is possible to observe small differences between the dry and wet cases in terms of the number of droplets reaching the ground (1% and 1.57%, respectively), while large differences are evident for the carried viral load, 0.32% and 70%, respectively.

Differences between the dry and wet conditions can be found when evaluating the distance from the mouth traveled by the droplets. Figure 4 shows the probability density function (pdf) of the horizontal distance traveled by the droplets when they reach the ground. For the two ambient conditions, we count the number of settled droplets at time 15 s, comparing the results for different distances of the barrier from the mouth. The effect of the barrier is particularly significant in the cases where it is closer to the mouth, where the largest amount of droplets settles within 0.1 and 0.5 m, respectively, for both the dry and wet conditions. When the barrier is present, it is also possible to note the effect of the ambient humidity that allows the droplets to travel for a larger distance in the wet condition with respect to the dry condition. This is in contrast with the cases without barrier, where the droplets are found to travel for larger distances in the dry condition. This is a clear inertial effect of the larger droplets: in the wet condition droplets

are typically heavier than in the dry condition and follow ballistic trajectories, thus being able to overcome the barrier from below. On the other hand, the light droplets of the dry condition behave essentially as fluid tracers, thus remaining trapped in the vortical structures generated by the presence of the barrier (see Fig. 2).

To complement this analysis, in Figs. 5(a) and 5(b) we show the cumulative VL settling to the ground as a function of the distance from the mouth. We compare the settled VL with different distances of the barrier from the mouth, superimposing the case without barrier for the sake of comparison, for the dry and wet conditions. It is possible to notice the effect of the barrier in determining the amount of VL that reaches the ground: by increasing the distance of the barrier, the settling VL grows, for both the dry and wet ambient conditions. As expected, a higher amount of VL reaches the ground for the wet condition, especially when the barrier is close to the mouth (barrier distance of 0.25 and 0.5 m). By looking at the wet condition in Fig. 5(b), we observe that the presence of the barrier has a negligible influence on the amount of settled VL when the barrier is far from the mouth, e.g., 0.75 and 1 m. Moreover, a greater distance is traveled by the VL in the wet condition with respect to the dry condition when the barrier is



FIG. 4. Probability density function of the distance from the mouth when droplets reach the ground. (a) Dry condition and (b) wet condition.



FIG. 5. Cumulative viral load settling to the ground (%) as a function of the distance from the mouth: (a) dry and (b) wet conditions. The gray line represents the case with the barrier at 0.25 (m), the red line at 0.5 (m), the yellow line at 0.75 (m), the blue line at 1 (m), and the green line the case without barrier. The dots at the end of the lines indicate the maximum distance reached by the cumulative viral load. (c) Maximum distance reached by the cumulative settling viral load in the (triangles) dry and (circles) wet conditions. The green point lines indicate the cases without barrier.

present. In Fig. 5(c), we quantify the maximum distance reached by the VL settled to the ground; except for the case of the barrier at a distance of 0.75 m, where the maximum distance is almost the same between the two ambient humidities; the wet condition always shows a higher maximum distance.

A study of the distance traveled by droplets and viral load is important to define protocols and rules to protect people living in indoor environments. Studying the time history of the exhaled viral load during a cough is another important issue in order to quantify how long the viral load takes to settle and to impact on the barrier. In Fig. 6, we show the cumulative VL settling to the ground, that was captured by the barrier, and that remaining airborne, for the observation time of 15 s, for the dry and wet ambient conditions. Especially for the dry condition, the role of the barrier is crucial when it is close to the mouth, where almost 99% of the VL is captured in less than 1 s [Figs. 6(a) and 6(b)]. This is not the case for the wet condition, where with a barrier at a distance of 0.25m and 0.5m from the mouth, only 29% and 15% of the VL is captured by the barrier, respectively, in less than 1 s [Figs. 6(e) and 6(f)]. As far as the airborne viral load is concerned, we found a lower residence time in the air for the dry condition (less than 1 s), in comparison with the wet condition where instead it is almost 1 s [Figs. 6(a) and 6(e)]. By placing the barrier at increasing distances from the mouth, the captured VL reduces progressively. The amount of VL remaining in the air increases more for the dry cases, with longer residence time with respect to the wet ones, where the majority of VL is lost by sedimentation [Figs. 6(b)-6(d) and 6(f)-6(h)]. Considering a barrier at a distance of 0.75 m from the mouth, we find 6% of the airborne VL after 6 s for the dry condition, while it is 0.57% for the wet one. Also, one can observe the negligible effect of the barrier when it is at 1 m from the mouth [Figs. 6(d) and 6(h)]. This is more evident for the wet condition, where the curves are substantially superimposed compared to those for the cases without barrier [Fig. 6(h)].

Once the viral load is removed from the air by sedimentation or from the impact with the barrier, the remaining viral load is still airborne and can play a crucial role in disease transmission, such as COVID-19 infection.<sup>4</sup> Thus, in the last step of our analysis we focus on the distance traveled by the airborne viral load. In Figs. 7(a) and 7(b), we report the cumulative airborne VL as a function of distance from the mouth, for the two ambient conditions considered. For both the dry and wet conditions, the barrier has an important role in determining the distance traveled by the airborne VL, also when the barrier is far from the mouth; this distance is always lower with respect to the case when the barrier is not present, where the VL can travel more than 2 m from the mouth. Indeed, the traveled distance is approximately 1.3 and 1 m for the dry and wet conditions with the barrier at 1 m from the mouth. Of particular interest is the role of the distance of the barrier in determining the distance traveled by the airborne viral load: by displacing the barrier away from the mouth, the traveled distance increases; however, when the barrier is very close to the mouth (0.25 m), the distance traveled is higher than in the other cases (0.5, 0.75, and 1 m) for both dry and wet conditions. This can be appreciated from Fig. 2(a), where the presence of the barrier determines an upward flow velocity, which carries the lightest droplets above the barrier and then lets them travel beyond for larger distances. We quantify the maximum distance reached by the airborne viral load in the observation time in Fig. 7(c). Also here, we can note the nontrivial effect of the barrier when it is at a distance of 0.25 m, where the airborne viral load travels for large

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**FIG. 7.** Cumulative airborne viral load (%) as a function of distance from the mouth (a) for the dry and (b) wet conditions. The gray line represents the case with the barrier at a distance from the mouth of 0.25 (m), the red line at 0.5 (m), the yellow line at 0.75 (m), the blue line at 1 (m), and the green line for the case without barrier. The dots at the end of the lines indicate the maximum distance reached by the cumulative viral load. (c) Maximum distance reached by the cumulative airborne viral load in the (triangles) dry and (circles) wet conditions. The green point lines indicate the cases without barrier.

distance beyond the barrier, more than in the other cases. Finally, due to the lighter weight of the droplets in the dry conditions, the maximum distance is always greater than what we observe in the wet conditions, except for the case with a barrier at 0.75 m where the maximum distance is approximately the same for the two conditions considered.

#### **IV. CONCLUSIONS**

We performed numerical simulations exploiting state-of-the-art DNS to investigate the role of barriers as protection devices from the viral load exhaled during a cough. We considered two values of ambient relative humidity denoted, in short, by dry and wet ( $RH_a = 30$  and  $RH_a = 60$ , respectively), and four distances of the barrier from the mouth (0.25, 0.5, 0.75, and 1 m), comparing the obtained results with the case without barrier. By assuming a representative initial size distribution<sup>44</sup> of the exhaled droplets, we quantified the viral load of each droplet and we tracked them in space and in time (up to 15 s).

We analyzed the distance traveled by the viral load from the mouth, and we determined the VL amount settling to the ground and that remaining airborne. For all the barrier distances investigated, in the wet case, the settling viral load travels for larger distances compared to the dry condition. This result has been interpreted as a manifestation of the larger inertia of droplets in the wet case causing ballistic events during the transport process. This fact is in contrast with the observation in the case without barrier, where, as expected and in agreement with Ref. 11, it is the dry case that allows the VL to settle further away from the mouth. Since the lightest droplets behave as fluid tracers, they remain trapped in the vortices created by the exhaled flow impacting on the barrier, thus making it difficult to travel for larger distances. This is the main mechanism caused by the barrier as a protection device. Indeed, we observe a greater amount of viral load captured by the barrier in the dry case, especially when it is close to the mouth with a barrier distance of 0.25 m. In this case, the captured viral load is approximately 99% with respect to the 30% observed in the wet case. On the other hand, moving away the barrier from the mouth makes the captured viral load increasingly small. Moreover, we observe that the residence time in the air increases more in the dry than in the wet condition. When the barrier is far from the mouth, it has a negligible effect as a protection device, and this is more evident in the wet condition than in the dry one.

Another important focus of our work is on the airborne viral load. Since this fraction of viral load does not settle (within the investigated observation time) and it is not captured by the barrier, it may contribute to spread the infection, also by various means, e.g., building ventilation systems. Our results show a larger amount of airborne viral load for cases in the dry condition, which increases with the distance of the barrier from the mouth. The barrier has therefore an important role to limit the distance traveled by the airborne VL, since it is always smaller than that in the case without barrier. Furthermore, the dry cases show a greater distance traveled from the mouth compared to the wet cases. For the two ambient humidities here considered, the particular configuration when the barrier is placed very close to the mouth (i.e., 0.25 m) generates a flow field that allows the lightest droplets to travel far away from the barrier by passing above it.

It is necessary to point out that the results described in this work are characteristic of the dimensions used to represent a typical room where the ceiling is at a height of 3 m. Considering a room with different sizes than those used here, the results may vary especially from a quantitative point of view. Nevertheless, we provide a general framework for characterizing the efficacy of barriers in the mitigation of airborne transmission, and the obtained results can actively contribute to select optimal strategies of protection within indoor environments. Furthermore, our results are not restricted to COVID-19, but can be extended to all the infections where the main transmission route is via airborne virus-containing droplets.

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#### AUTHOR DECLARATIONS

#### Conflict of Interest

The authors have no conflict of interest to disclose.

#### DATA AVAILABILITY

The data that support the findings of this study are available from the corresponding author upon reasonable request.

# APPENDIX: LIST OF PHYSICAL AND CHEMICAL PARAMETERS

The list of all physical and chemical parameters involved in our mathematical model is provided in Table II.

TABLE II. List of physical and chemical parameters assumed in the present work.

Mean ambient temperature	$T_{a}$	25 °C
Crystallization (or efflorescence)	CRH	45%
RH		
Deliquescence RH	DRH	75%
Quiescent ambient RH (wet)	$RH_a$	60%
Quiescent ambient RH (dry)	$RH_a$	30%
Density of liquid water	$\rho_w$	$9.97 imes10^2\mathrm{kg/m^3}$
Density of soluble aerosol part (NaCl)	$\rho_s$	$2.2\times 10^3\text{kg}/\text{m}^3$
Density of insoluble aerosol part (mucus)	$ ho_u$	$1.5\times 10^3 \ kg/m^3$
Mass fraction of soluble material (NaCl) with respect to the total dry	$\mathcal{E}_m$	0.75
nucleus	0	
Mass fraction of dry nucleus with respect to the total droplet	С	1 %
Specific gas constant of water vapor	$R_{\nu}$	$4.6\times 10^2J/(kgK)$
Diffusivity of water vapor	$D_{v}$	$2.5 \times 10^{-5} \text{ m}^2/\text{s}$
Density of air	$\rho$	$1.18  \text{kg/m}^3$
Kinematic viscosity of air	ν	$1.8 imes 10^{-5}\mathrm{m^2/s}$
Heat conductivity of dry air	$k_a$	$2.6 \times 10^{-2} \mathrm{W/Km}$
Latent heat for evaporation of liquid water	$L_w$	$2.3  imes 10^6  J/kg$
Saturation vapor pressure	$e_{sat}$	0.616 kPa
Droplet condensational growth rate	$C_R$	$1.5\times 10^{-10}m^2/s$
Surface tension between moist air and salty water	σ	$7.6\times 10^{-2}J/m^2$

#### Table II. (Continued.)

Molar mass of NaCl	$M_s$	$5.9  imes 10^{-2} \text{ kg/mol}$
Molar mass of water	$M_w$	$1.8 \times 10^{-2} \text{ kg/mol}$
Molar mass of water vapor and molar mass of dry air ratio	3	0.61

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